

SRM VALLIAMMAI ENGINEERING COLLEGE
(An Autonomous Institution)
SRM Nagar, Kattankulathur – 603 203

DEPARTMENT OF
ELECTRONICS AND INSTRUMENTATION ENGINEERING
M.E CONTROL AND INSTRUMENTATION ENGINEERING
QUESTION BANK



II SEMESTER

1913203–ADVANCED CONTROL SYSTEMS

Regulation – 2019

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Prepared by

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DEPARTMENT OF ELECTRONICS AND INSTRUMENTATION ENGINEERING

M.E Control and Instrumentation Engineering

SUBJECT: 1913203–ADVANCED CONTROL SYSTEMS

SEM / YEAR: VIII / IV

UNIT I - PHASE PLANE ANALYSIS

SYLLABUS

Features of linear and non-linear systems – Common physical nonlinearities – Methods of linearization – Concept of phase portraits – Singular points – Limit cycles – Construction of phase portraits – Phase plane analysis of linear and non-linear systems – Isocline method.

PART – A

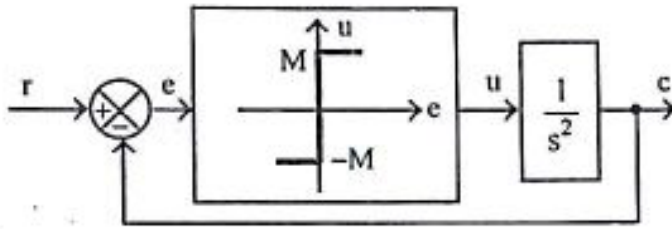
Q.No	Questions	BT Level	Competence
1.	What are linear systems and nonlinear systems? Give examples?	BTL-2	Understand
2.	How the nonlinearities are classified? Give examples?	BTL-2	Understand
3.	What is the purpose of introducing nonlinearities into the system?	BTL-1	Remember
4.	Write any two properties of non linear systems.	BTL-6	Create
5.	What is phase portrait?	BTL-1	Remember
6.	Draw the phase portrait of a stable node.	BTL-3	Apply
7.	What is singular point?	BTL-1	Remember
8.	How the singular points are classified?	BTL-2	Understand
9.	What are limit cycles?	BTL-1	Remember
10.	How limit cycles are determined from phase portrait?	BTL-3	Apply
11.	How will you determine the stable and unstable limit cycles using phase portrait?	BTL-3	Apply
12.	What is phase plane?	BTL-1	Remember
13.	What is phase trajectory?	BTL-1	Remember
14.	Write the slope equation of phase trajectories.	BTL-6	Create
15.	Write the methods for constructing phase trajectories.	BTL-6	Create
16.	How the phase trajectory is constructed in analytical method?	BTL-4	Analyze
17.	What is isocline?	BTL-1	Remember
18.	What is the difference in stability analysis of linear and nonlinear systems?	BTL-2	Understand
19.	Define the stability of a nonlinear system at origin.	BTL-1	Remember
20.	What is stable-in-the large?	BTL-1	Remember

PART – B

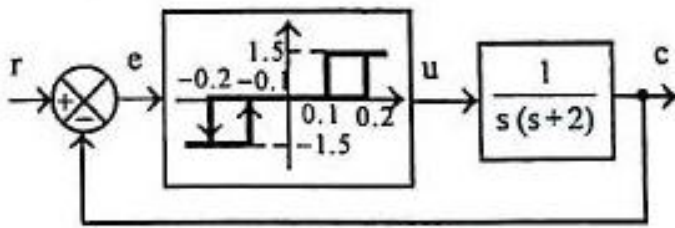
1.	(i)	The response of a system is, $y = ax + b \frac{dx}{dt}$, test whether the system is linear or nonlinear. (7)	BTL-5	Evaluate
	(ii)	The response of a system is $y = ax^2 + e^{bx}$. Test whether the system is linear or nonlinear. (6)	BTL-5	Evaluate
2.		Describe the isoclines method of drawing phase plane trajectory. (13)	BTL-2	Understand
3.		What is phase plane, phase trajectory and phase portrait? Draw and explain how to determine the stable and unstable limit cycles using phase portrait? (13)	BTL-2	Understand

4.	Explain in detail about the behavior of nonlinear system and classifications of Non-linearities. (13)	BTL-2	Understand
5.	What are Singular points? Explain the classification of singular points. (13)	BTL-2	Understand
6.	Explain about the control system with linear gain and show the input based on the location of Eigen values of the system. (13)	BTL-3	Apply
7.	Describe the delta method of drawing Phase plane trajectory. (13)	BTL-1	Remember
8.	Describe analytic method of drawing Phase plane trajectory and also write procedure for phase plane trajectory. (13)	BTL-1	Remember
9.	Explain the construction of phase trajectory using any two methods. (13)	BTL-2	Understand
10.	A linear second order servo is described by the equation $\ddot{y} + 2\xi\omega_n \dot{y} + \omega_n^2 y = \omega_n^2$. where $\xi=0.15$, $\omega_n=1$ rad/sec, $y(0)=2.0$, $\dot{y}(0) = 0$. Determine the singular point when (i) $\delta = 0$ (ii) $\delta = 0.6$. Construct the phase trajectory, using the method of isoclines. (13)	BTL-3	Apply
11.	Construct phase trajectory for the system described by the equation, $\frac{dx_2}{dx_1} = \frac{4x_1 + 3x_2}{x_1 + x_2}$. Comment on the stability of the system. (13)	BTL-3	Apply
12.	Draw the phase trajectory of the system described by the equation $\ddot{x} + \dot{x} + x^2 = 0$. Comment on the stability of the system. (13)	BTL-3	Apply
13.	Construct a phase trajectory by delta method for a nonlinear system represented by the differential equation, $\dot{x} + 4 x + 4x = 0$. Choose the initial conditions as $x(0)=1.0$, $\dot{x}(0) = 0$. (13)	BTL-3	Apply
14.	A linear second order servo is described by the equation $\ddot{x} + 2\xi\omega_n \dot{x} + \omega_n^2 x = 0$. , where $\xi=0.15$, $\omega_n=1$ rad/sec, $x(0)=1.5$, $\dot{x}(0) = 0$. Determine the singular point. Construct the phase trajectory, using the method of isoclines. Choose slope as -2.0, - 0.5, 0,0.5 & 2.0. (13)	BTL-6	Create
PART – C			
1.	Evaluate the type of singularity for each of the following differential equations. Also locate the singular points on the phase plane. (15) a) $\ddot{x} + 3\dot{x} + 2x = 0$. b) $\ddot{x} + 5\dot{x} + 6x = 6$. c) $\ddot{x} - 8\dot{x} + 17x = 34$.	BTL-5	Evaluate
2.	Estimate the trajectories in the (t,x) plane which will extremize (15) $J(X) = \int_0^{t_1} (t\dot{x} + x^2) dt$ In each of the following cases (a) $t_1=1, x(0)=1, x(1)=5$ (b) $t_1=1, x(0)=1, x(1)$ is free	BTL-5	Evaluate

3.	<p>Consider a system with an ideal relay as shown in fig. Determine the singular point. Construct phase trajectories, corresponding to initial conditions, (i) $c(0) = 2, \dot{c}(0) = 0$, and (ii) $c(0) = -2, \dot{c}(0) = 1.5$, Take $r=2$ volts and $M = 1.2$ volts. (15)</p>	BTL-6	Create
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4.	<p>A second order servo containing a relay with dead-zone and hysteresis is shown in figure. Construct the phase trajectory of the system with initial conditions $e(0)=0.65$ and $\dot{e}(0) = 0$. (15)</p>	BTL-6	Create
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UNIT II - DESCRIBING FUNCTION ANALYSIS

SYLLABUS

Basic concepts – Derivation of describing functions for common nonlinearities – Describing function analysis of non-linear systems – limit cycles – Stability of oscillations, Relay Feedback.

PART - A

Q.No.	Questions	BT Level	Competence
1.	What is the difference between phase plane and describing function methods of analysis?	BTL-2	Understand
2.	State the limitations of analyzing nonlinear systems by describing function and phase plane methods.	BTL-1	Remember
3.	What is saturation? Give an example.	BTL-1	Remember
4.	What is dead-zone?	BTL-1	Remember
5.	What are the different types of friction?	BTL-1	Remember
6.	What is hysteresis and backlash?	BTL-1	Remember
7.	Distinguish between subharmonic and self-excited oscillations.	BTL-4	Analyze
8.	What are limit cycles?	BTL-1	Remember
9.	Write the van der pol's equation for nonlinear damping.	BTL-6	Create
10.	What is describing function?	BTL-1	Remember
11.	Explain the describing function of dead-zone and saturation nonlinearity.	BTL-2	Understand
12.	Develop the describing function of saturation nonlinearity.	BTL-3	Apply
13.	Write the describing function of dead-zone nonlinearity.	BTL-6	Create
14.	Sketch the input-output characteristic of a relay with dead-zone and hysteresis.	BTL-3	Apply
15.	Explain the describing function of ideal relay.	BTL-2	Understand
16.	Develop the describing function of relay with dead-zone.	BTL-6	Create
17.	Compose the describing function of relay with hysteresis.	BTL-6	Create
18.	Explain the describing function backlash nonlinearity.	BTL-2	Understand
19.	State the stability criterion for nonlinear systems, when the nonlinearity is	BTL-1	Remember

	replaced by the describing function K_N .		
20.	In describing function, analysis how the stability of nonlinear system is determined.	BTL-4	Analyze

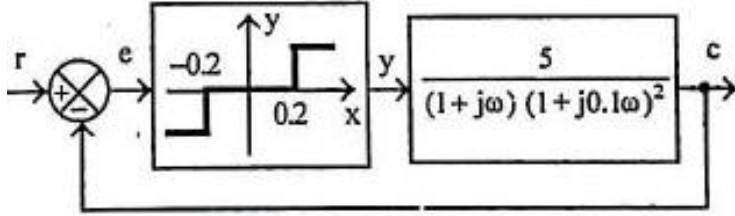
PART – B

1.	Discuss about describing function. Give its limitations. (13)	BTL-2	Understand
2.	The block diagram of a system with saturation nonlinearity is shown in fig. Investigate the stability of the system by describing function method. (13)	BTL-5	Evaluate
3.	Explain the describing function of saturation non-linearity. (13)	BTL-2	Understand
4.	Develop the describing function of dead zone of non-linearity (13)	BTL-6	Create
5.	Discuss the describing function of relay with dead zone. (13)	BTL-2	Understand
6.	Derive the describing function of on-off non-linearity. (13)	BTL-6	Create
7.	Explain the describing function of an on-off non-linearity with hysteresis. (13)	BTL-2	Understand
8.	Discuss the describing function of dead zone and saturation of non-linearity. (13)	BTL-1	Remember
9.	Explain about the stability analysis with describing function. (13)	BTL-2	Understand
10.	Find the curve with minimum arc length between the point $x(0)=1$ and the line $t_1=4$. (13)	BTL-5	Evaluate
11.	Find the curve with minimum arc length between the point $x(0)=0$ and the curve $\Theta(t)=t^2-10t+24$. (13)	BTL-5	Evaluate
12.	Describe limit cycles in phase portrait. (13)	BTL-1	Remember
13.	Explain how to study the stability of the system through describing function analysis. (13)	BTL-4	Analyze
14.	Determine the describing function for the nonlinear element described by, $y=x^3$, where x =input to the nonlinear element and y =output of the nonlinear element. (13)	BTL-3	Apply

PART – C

1.	Derive the describing function of the element whose input-output characteristic is shown in fig. (15)	BTL-6	Create
2.	The block diagram of a system with hysteresis is shown in fig. Using describing function method, determine whether limit cycle exists in the system. If limit cycles exists them, determine their amplitude and frequency. (15)	BTL-5	Evaluate

3.	A system has a nonlinear element, with describing function, $K_N=(1/X)_L -45^\circ$ in cascade with, $G(j\omega)=10\sqrt{2}/j\omega(1+j0.5\omega)$. Determine the limit cycle of the system. (15)	BTL-5	Evaluate
4.	Under the describing function analysis, prove that no limit cycle exists in the system shown in fig. Find the range of values of the dead-zone of the on-off controller for which limit cycle is predicted? (15)	BTL-5	Evaluate



UNIT III - INTRODUCTION TO OPTIMAL CONTROL AND ESTIMATION

SYLLABUS

Introduction – Performance measures for optimal control problem – LQR tracking – LQR regulator – Optimal estimation – Discrete Kalman Filter.

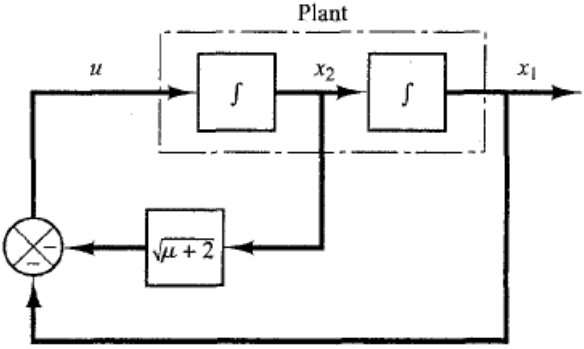
PART – A

Q. No.	Questions	BT Level	Competence
1.	Write the concept of formulation of the optimal control problem.	BTL-6	Create
2.	Illustrate minimum time problem.	BTL-2	Understand
3.	What is minimum energy control?	BTL-1	Remember
4.	What is minimum fuel problem?	BTL-1	Remember
5.	Define state regulator problem.	BTL-1	Remember
6.	What is tracking problem?	BTL-2	Understand
7.	Explain about continuous time regulator problem.	BTL-2	Understand
8.	What is discrete time regulator problem?	BTL-1	Remember
9.	State the LQR problem.	BTL-1	Remember
10.	For an output regulator problem, develop an expression for quadratic performance index.	BTL-6	Create
11.	Give the design procedure for LQR controller.	BTL-2	Understand
12.	Draw the block diagram of Discrete Kalman Filter.	BTL-3	Apply
13.	Solution of the LQR problem of a linear time invariant system, is a time varying state feedback. Is the statement true or false? Justify	BTL-5	Evaluate
14.	State the condition for observability by Kalman-Bucy filter.	BTL-1	Remember
15.	Measure the performance index of regulator problem and solution of Matrix Riccati equation.	BTL-5	Evaluate
16.	Give the expression of Kalman gain	BTL-2	Understand
17.	Write down the expression for optimal control using Riccati equation.	BTL-6	Create
18.	Examine the PDF function for jointly Gaussian Variable	BTL-3	Apply
19.	Discuss the effect of pole-zero cancellation in transfer function	BTL-2	Understand
20.	Distinguish the terms Hamiltonian function and Hamiltonian matrix.	BTL-4	Analyze

PART-B

1.	Derive the matrix Riccati equation and state the necessary and sufficient condition for optimal solution. (13)	BTL-6	Create
2.	Derive the solution of a linear quadratic regulator problem either for continuous or discrete case from the basic principle of calculus of variations. (13)	BTL-6	Create

3.	Obtain the solution of Riccati equation for the following system (13) $\dot{x} = ax + bu$ $\min J = \int_0^{\infty} \frac{1}{2} (qx_1^2 + u_1^2) dt$ Evaluate that the closed loop poles move from '-a' to '-∞'.	BTL-5	Evaluate
4.	(i) Derive the necessary and sufficient condition to be satisfied along the optimal trajectory using Hamiltonian formulation starting from the results of Calculus variation approach, for a state tracking problem of a linear time invariant system. (6)	BTL-6	Create
	(ii) Derive the optimal control policy for the following optimal control problem $\dot{x} = -2x + u$ $\min J = \frac{1}{2} \int_0^{\infty} ((x - \sin t)^2 + u^2) dt$ (7)	BTL-6	Create
5.	Obtain the optimal control law by Riccati equation for a continuous time system. (13)	BTL-2	Understand
6.	The first order system is described by the differential equation $\dot{x} = 2x(t) + u(t)$ Find the control law that minimizes the performance index $\min J = \frac{1}{2} \int_0^{t_f} \left(3x^2 + \frac{1}{4} u^2 \right) dt$; $t_f = 1$ sec. (13)	BTL-2	Understand
7.	Determine the differential equations to be solved to obtain the solution of the following optimal control problem (13) $\text{Min} J = \int_0^{t_f} \left(\frac{1}{2} x^T \begin{bmatrix} 2 & 0 \\ 0 & 0.1 \end{bmatrix} x + \frac{1}{2} u^2 \right) dt$ Subject to $\dot{x} = \begin{bmatrix} 0 & 1 \\ 2 & 3 \end{bmatrix} x + \begin{bmatrix} 0 \\ 1 \end{bmatrix} u$	BTL-3	Apply
8.	(i) State the solution of optimal estimation problem with the help of analogous terms of an estimation and state feedback control problems. (8)	BTL-1	Remember
	(ii) Illustrate the eigen vector decomposition method of solving discrete Riccati's equation. (5)	BTL-1	Remember
9.	Find the optimal control law for the system $\dot{x} = \begin{bmatrix} 0 & 1 \\ 1 & 1 \end{bmatrix} x + \begin{bmatrix} 1 & 1 \\ 0 & 1 \end{bmatrix} u$ with the performance index $J = \int (x_1^2 + u_1^2 + u_2^2) dt$.	BTL-5	Evaluate
10.	The regulator system contains a plant that is described by (13) $\begin{bmatrix} \dot{x}_1 \\ \dot{x}_2 \end{bmatrix} = \begin{bmatrix} 0 & 1 \\ -1 & -2 \end{bmatrix} \begin{bmatrix} x_1 \\ x_2 \end{bmatrix} + \begin{bmatrix} 0 \\ 1 \end{bmatrix} u$ $y = [1 \ 0]x$ $J = \int_0^{\infty} (x^T \begin{bmatrix} 2 & 0 \\ 0 & 1 \end{bmatrix} x + u^2) dt$ and has a performance index Determine (i) The Riccati matrix P (ii) The state feedback matrix K.	BTL-3	Apply

11.	(i)	Discuss minimization of function. (7)	BTL-2	Understand
	(ii)	Write notes on kalman filter. (6)	BTL-2	Understand
12.	(i)	Analyze the types of optimal control problems used in control system design. Explain in detail. (7)	BTL-4	Analyze
	(ii)	Write the general performance index equation of the control problem and mention its requirements. (6)	BTL-4	Analyze
13.	Consider the system shown in Figure.  <p>Assuming the control signal to be $u(t) = -Kx(t)$. Determine the optimal feedback gain matrix K such that the following performance index is minimized, $J = \int_0^{\infty} (x^T x + u^2) dt$ (13)</p>		BTL-3	Apply
14.	Consider the system $\begin{bmatrix} \dot{x}_1 \\ \dot{x}_2 \end{bmatrix} = \begin{bmatrix} 0 & 1 \\ 0 & 0 \end{bmatrix} \begin{bmatrix} x_1 \\ x_2 \end{bmatrix} + \begin{bmatrix} 0 \\ 1 \end{bmatrix} u$. It is desired to find the optimal signal u such that the performance index $J = \int_0^{\infty} (x^T Q x + u^2) dt$, $Q = \begin{bmatrix} 1 & 0 \\ 0 & \mu \end{bmatrix}$ is minimized. Determine the optimal signal $u(t)$. (13)		BTL-3	Apply
PART – C				
1.	Analyze the optimal control law for the system $\dot{x} = \begin{bmatrix} 0 & 1 \\ 0 & 0 \end{bmatrix} x + \begin{bmatrix} 0 \\ 1 \end{bmatrix} u$ $y = \begin{bmatrix} 1 & 0 \\ 0 & 2 \end{bmatrix} x$ such that the following performance index is minimized $J = \int (y_1^2 + y_2^2 + u^2) dt$ (15)		BTL-4	Analyze
2.	Analyze the optimal control law for the system described by $\dot{x} = \begin{bmatrix} 0 & 1 \\ -2 & -3 \end{bmatrix} x + \begin{bmatrix} 0 \\ 1 \end{bmatrix} u$ $y = \begin{bmatrix} 1 & 0 \\ 0 & 2 \end{bmatrix} x$ such that the following performance index is minimized $J = \int_0^{\infty} (x^T x + u^2) dt$ (15)		BTL-4	Analyze

3.	Design the multivariable optimal regulator system for the plant state equations are $\begin{bmatrix} \dot{x}_1 \\ \dot{x}_2 \end{bmatrix} = \begin{bmatrix} 0 & 1 \\ -4 & -2 \end{bmatrix} \begin{bmatrix} x_1 \\ x_2 \end{bmatrix} + \begin{bmatrix} 0 \\ 4 \end{bmatrix} u$ $y = [1 \ 0]x$ $J = \int_0^{\infty} (x^T Q x + u^2) dt$ If the performance index to be minimized is (15)	BTL-6	Create
4	Design the Kalman filter for multivariable state estimation problem. (15)	BTL-6	Create

UNIT IV - INTRODUCTION TO SYSTEM IDENTIFICATION ADAPTIVE CONTROL

SYLLABUS

Introduction to system identification – The least squares estimation – The recursive least squares estimation - Correlation by frequency Analysis– Introduction to adaptive control – Gain scheduling controller – Model reference adaptive controller – Self-tuning controller.

PART-A

Q. No	Questions	BT Level	Competence
1.	What is system identification?	BTL-1	Remember
2.	Draw the block diagram of system identification.	BTL-3	Apply
3.	Give the application for industrial use of system identification.	BTL-2	Understand
4.	Define least squares algorithm.	BTL-1	Remember
5.	Define recursive least squares algorithm.	BTL-1	Remember
6.	Write the relationship between least squares algorithm recursive least squares algorithm.	BTL-6	Create
7.	Draw the block diagram of Recursive Least-Squares Algorithm	BTL-3	Apply
8.	When correlation analysis is required?	BTL-2	Understand
9.	What is meant by frequency analysis?	BTL-1	Remember
10.	Write the features of recursive identification method.	BTL-6	Create
11.	Define adaptive control.	BTL-1	Remember
12.	Difference between conventional control and adaptive control.	BTL-3	Apply
13.	List the classification of adaptive control with example.	BTL-1	Remember
14.	Give the advantages of adaptive control system.	BTL-2	Understand
15.	What is meant by Gain Scheduling?	BTL-1	Remember
16.	What is meant by MRAC?	BTL-1	Remember
17.	Define STC.	BTL-1	Remember
18.	Write any two practical significance of the gain Scheduling.	BTL-6	Create
19.	Difference between MRAC and STC.	BTL-3	Apply
20.	Draw the block diagram of gain scheduling.	BTL-3	Apply

PART – B

1.	Discuss a detailed account on correlation analysis method of system identification. (13)	BTL-2	Understand
2.	Derive and explain the steps of the least square algorithm. (13)	BTL-6	Create
3.	(i) Describe the frequency analysis method of system parameter estimation. (8)	BTL-1	Remember
	(ii) Briefly describe the improved frequency analysis. (5)	BTL-1	Remember

4.	(i)	List and explain the least square algorithm for real time identification which uses a forgetting factor λ . (8)	BTL-2	Understand
	(ii)	Give and discuss the properties of LSE. (5)	BTL-2	Understand
5.		Derive and explain the steps of the Recursive least square estimation method. (13)	BTL-3	Apply
6.		Derive the expression for the Mathematical model of a first order with pure delay system. (13)	BTL-5	Evaluate
7.		Derive the Mathematical model of a higher order system. (13)	BTL-5	Evaluate
8.		Briefly explain and give the application open loop and closed loop adaptive control system. (13)	BTL-2	Understand
9.		With an example for each, explain any one parametric and non-parametric methods of system identification. (13)	BTL-1	Remember
10.		Briefly explain passivity based adaptive control system. (13)	BTL-2	Understand
11.		Explain the process MIT Rule based MRAS for first order system. (13)	BTL-2	Understand
12.		Describe the Lyapunov theory based MRAS for first order system. (13)	BTL-2	Understand
13.		Design the gain scheduling controllers. (13)	BTL-6	Create
14.		Briefly explain direct MRAC and indirect MRAC. (13)	BTL-2	Understand

PART-C

1.		Discuss in detail of some practical aspects concerning for the analysis of recursive identification methods. (15)	BTL-4	Analyze																												
2.		Step test have been obtained for the off-gas CO ₂ concentration response obtained by changing the feed rate to a bioreactor. At $k = 0$, a unit step change in input u occurs, but the output change at the first sample ($k=1$) is not observed until the next sampling instant. The data is given in the table below. Estimate the model parameters in the second order difference equation $y(k) = a_1y(k-1)+a_2y(k-2)+b_1u(k-1)+b_2u(k-2)$. From the input-output data using the least squares approach. Plot the model response and the actual data. (15)	BTL-5	Evaluate																												
		<table border="1" style="margin-left: auto; margin-right: auto;"> <tr> <td>K</td> <td>0</td> <td>1</td> <td>2</td> <td>3</td> <td>4</td> <td>5</td> </tr> <tr> <td>Y(k)</td> <td>0</td> <td>0.058</td> <td>0.217</td> <td>0.360</td> <td>0.488</td> <td>0.6</td> </tr> <tr> <td>K</td> <td>6</td> <td>7</td> <td>8</td> <td>9</td> <td>10</td> <td></td> </tr> <tr> <td>Y(k)</td> <td>0.69</td> <td>0.772</td> <td>0.833</td> <td>0.888</td> <td>0.925</td> <td></td> </tr> </table>	K	0	1	2	3	4	5	Y(k)	0	0.058	0.217	0.360	0.488	0.6	K	6	7	8	9	10		Y(k)	0.69	0.772	0.833	0.888	0.925			
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3.		Explain the Model Reference Adaptive Control (MRAC) approach and the MIT Rule in deriving a suitable control law. (15)	BTL-5	Evaluate																												
4.		In sampling a continuous-time process model with $h=1$, the following pulse transfer function is obtained: $H(z) = (z + 1.2) / (z^2 - z + 0.25)$. The design specification states that the discrete-time closed-loop poles should correspond to the continuous-time characteristic polynomial $s^2 + 2s + 1$. Design a minimal-order discrete-time indirect self-tuning regulator. The controller should have integral action and give a closed-loop system having unit gain in stationary. Determine the Diophantine equation that solves the problem. (15)	BTL-6	Create																												

UNIT V - INTRODUCTION TO ROBUST CONTROL

SYLLABUS

Introduction – Norms of vectors and matrices – Norms of systems – H2 optimal controller – H2 optimal estimation – H-infinity controller – H-infinity estimation.

PART – A

Q.No	Questions	BT Level	Competence
1.	What is robust control?	BTL-1	Remember
2.	Draw the robust performance of the system.	BTL-3	Apply
3.	What is robust stability?	BTL-1	Remember
4.	How do you find the norm of two vectors?	BTL-3	Apply
5.	How are matrices and vectors related?	BTL-2	Understand
6.	What is infinity norm of a matrix?	BTL-1	Remember
7.	What is the max norm?	BTL-1	Remember
8.	What is the inverse of a vector?	BTL-1	Remember
9.	What do you understand by the state vector and the co-state vector?	BTL-2	Understand
10.	Write down the state and co-state equations.	BTL-6	Create
11.	Draw the block diagram of an LQG controller.	BTL-3	Apply
12.	Determine the H_∞ norm of the transfer function $G(s) = s+1/s+5$.	BTL-5	Evaluate
13.	How do you write down the transfer function $G(s)=S(sI-A)^{-1}B+D$ in packed Matrix notation?	BTL-4	Analyze
14.	What do you understand by the H-infinity norm of a transfer function?	BTL-2	Understand
15.	What are the norms of systems?	BTL-1	Remember
16.	Sketch the block diagram of H2 optimal controller.	BTL-3	Apply
17.	What do you understand by the H2 norm of a transfer function?	BTL-2	Understand
18.	What is H2 and H_∞ control?	BTL-2	Understand
19.	Write the expression for H_∞ optimal controller to minimize the worst error from any input.	BTL-6	Create
20.	What is small gain infinity-norm control problem?	BTL-2	Understand

PART B

1.	Explain in detail about various norms of vectors and matrices in robust control. (13)	BTL-2	Understand
2.	For the signal below, calculate the norms defined earlier. $u(t) = e^{-3t}$, $t \geq 0$. (13)	BTL-3	Apply
3.	Let $u(t)$ be the input of stable transfer function $G(s) = 1/(s+1)$ and $y(t)$ be the output. (13) 1. Calculate the 2-norm of the impulse response $g(t)$. 2. For $u(t) = e^{-5t}$, Compute y_2 .	BTL-3	Apply
4.	Calculate the 1-norm, 2-norm, and infinity-norm of vector $x=[1 \ 2 \ 3]^T$. (13)	BTL-3	Apply
5.	Given vectors $u = [0 \ 1]^T$ and $v = [1 \ 1]^T$, calculate the 2-norm, inner product, and the angle between them, respectively. (13)	BTL-3	Apply
6.	Calculate the H2 norm and H_∞ norm of stable transfer function. (13) $G(s) = \frac{s+1}{(s+2)(s+5)}$	BTL-4	Analyze
7.	Calculate the H2 norm of the following stable transfer function by using, respectively, the residue and impulse response methods (13) $G(s) = \frac{s+5}{(s+1)(s+10)}$	BTL-5	Evaluate
8.	Explain in detail stochastic H-infinity control and estimation problems both in continuous and discrete case. (13)	BTL-2	Understand
9.	Explain in detail stochastic H2 control and estimation problems. (13)	BTL-2	Understand

10.	Define an optimal control problem. Describe performance index for each case also. (13)	BTL-1	Remember
11.	What is Pontryagin's minimum principle? Derive this principle from the Hamilton-Jacobi equation. (13)	BTL-6	Create
12.	Describe Non-Unique H-Infinity Optimal Controller. (13)	BTL-2	Understand
13.	Explain H2/H-Infinity Norms and Loop Shaping. (13)	BTL-2	Understand
14.	Discuss in detail about Sensor and control singularity at finite frequency. (13)	BTL-2	Understand
PART-C			
1.	A unity feedback control system has a nominal plant transfer function $G(s) = \frac{1}{(s+2)(s+5)}$, Design the H2 norm optimal controller. (15)	BTL-5	Evaluate
2.	Design the H_∞ norm optimal controller of stable transfer function $G(s) = \frac{1}{(s+2)(s+5)}$. (15)	BTL-4	Analyze
3.	A closed loop control system has a nominal forward-path transfer function equal to $Gm(s)C(s) = \frac{K}{s(s^2 + 2s + 4)}$. Let the bound of the multiplicative model uncertainty be $\bar{l}m(s) = \frac{0.5(1+s)}{(1+0.25s)}$. What is the maximum value that K can have for robust stability? (15)	BTL-6	Create
4.	A plant has a transfer function $G(s) = \frac{100}{(s^2 + 2s + 100)}$ and sensitivity and complementary weighting functions $W_S(s) = \gamma \left(\frac{s+100}{s+1} \right)$ $W_T(s) = \left(\frac{s+1}{s+100} \right)$ Design the optimal value for γ and hence the state-space and transfer functions for the H_∞ - optimal controller C(s). (15)	BTL-6	Create